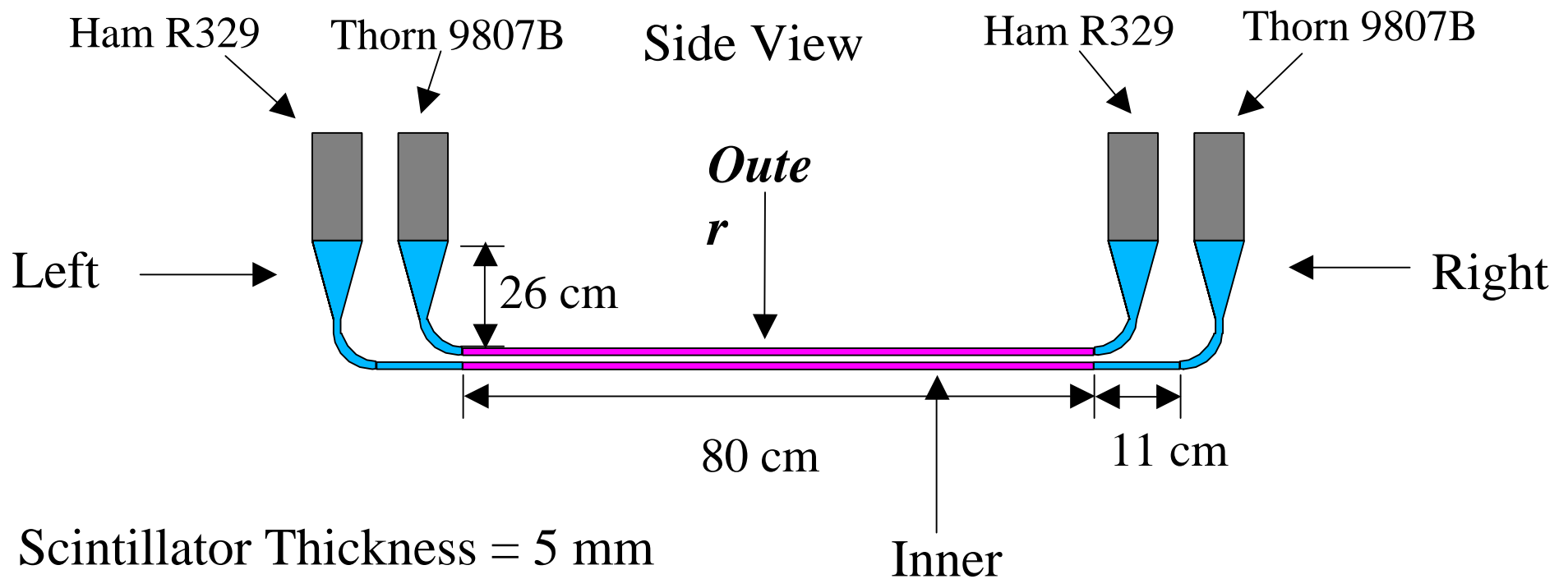
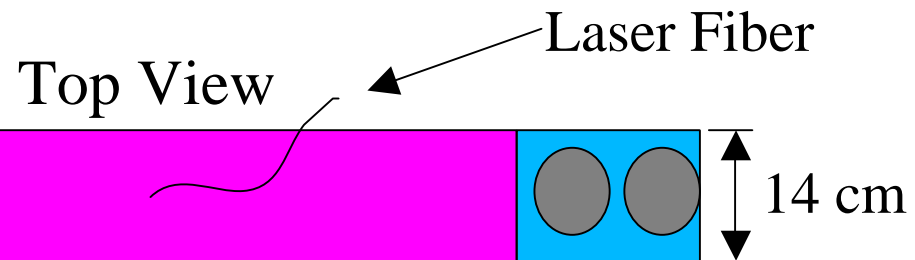


# MuCap Gondola Tests

1. Laser Photoelectron Calibration.
2. Determining Position Along Z.
3. Long Time After Pulsing

# Overview



Scintillator Thickness = 5 mm  
Scintillator Separation  $\approx$  5mm

# Laser to Calibrate $N_{p.e.}$

Assume stable and consistent light pulse from laser.

Measured area from scintillator gives a mean of  $\overleftarrow{A} = f X N_{p.e.}$

Where  $f$  is some unknown efficiency constant

It then follows the uncertainty in the area is given by  $\sigma_{\overleftarrow{A}} = \frac{\overleftarrow{A}}{\sqrt{N_{p.e.}}}$

$$\text{Thus: } N_{p.e.} = \left( \frac{\overleftarrow{A}}{\sigma_{\overleftarrow{A}}} \right)^2$$

This is a lower limit since  $\sigma$  is often due to more than just the uncertainty in  $N_1$

# Laser Process

1. Set laser to some arbitrary intensity.

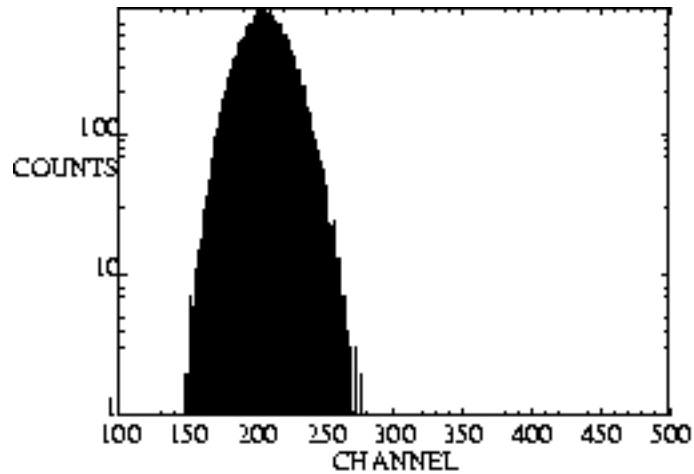
2. Use KMAX to get mean and FWHM.

3. Apply  $N_{p.e.} = \left( \frac{\overleftarrow{\quad}}{\textcircled{R}} \right)^2$

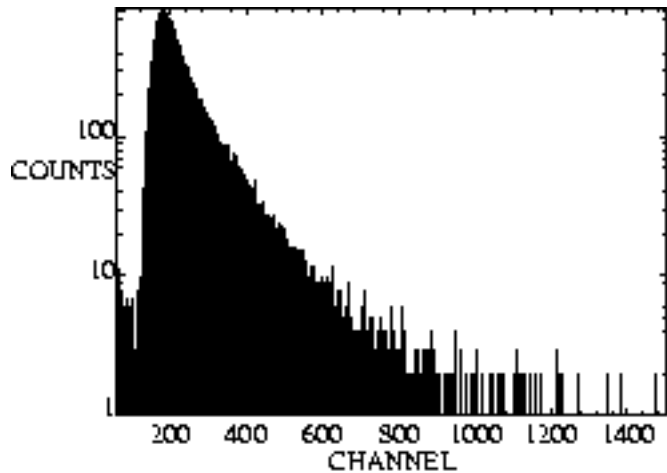
4. Repeat at new laser intensity.

5. Use slope of  $N_{p.e.}$  vs.  $\mu$  at MIP average to get  $N_{p.e.}$  per MIP.

# Example of Laser Data

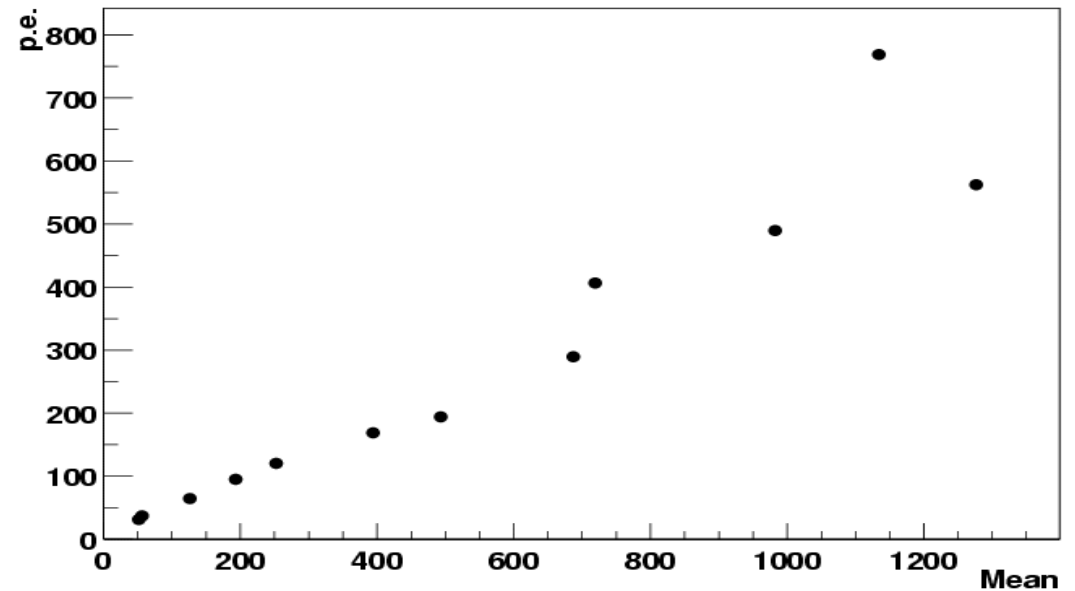


OuterLeftADC Copy



OuterLeftADC Copy Copy

Outer Left



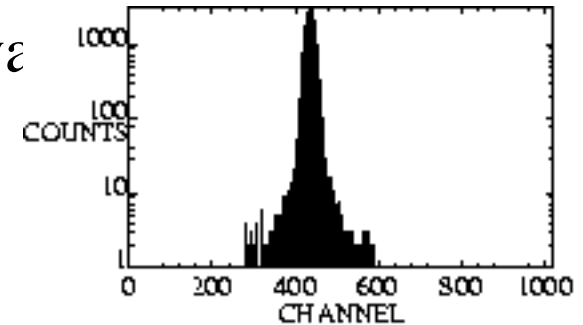
# Laser Results

	<u>Inner</u>		<u>Outer</u>	
	<u>Left</u>	<u>Right</u>	<u>Left</u>	<u>Right</u>
N <sub>p.e</sub> per Channel	0.48	0.36	0.49	0.63
N <sub>p.e</sub> for MIP	74	61	80	102
Total N <sub>p.e</sub> for MIP	135		182	

# Determine Position Along Z

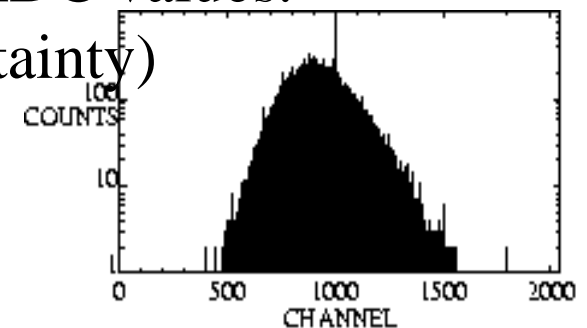
## Two Methods

1.  $\Delta t$  between left and right TDC  $\nu\bar{\nu}$



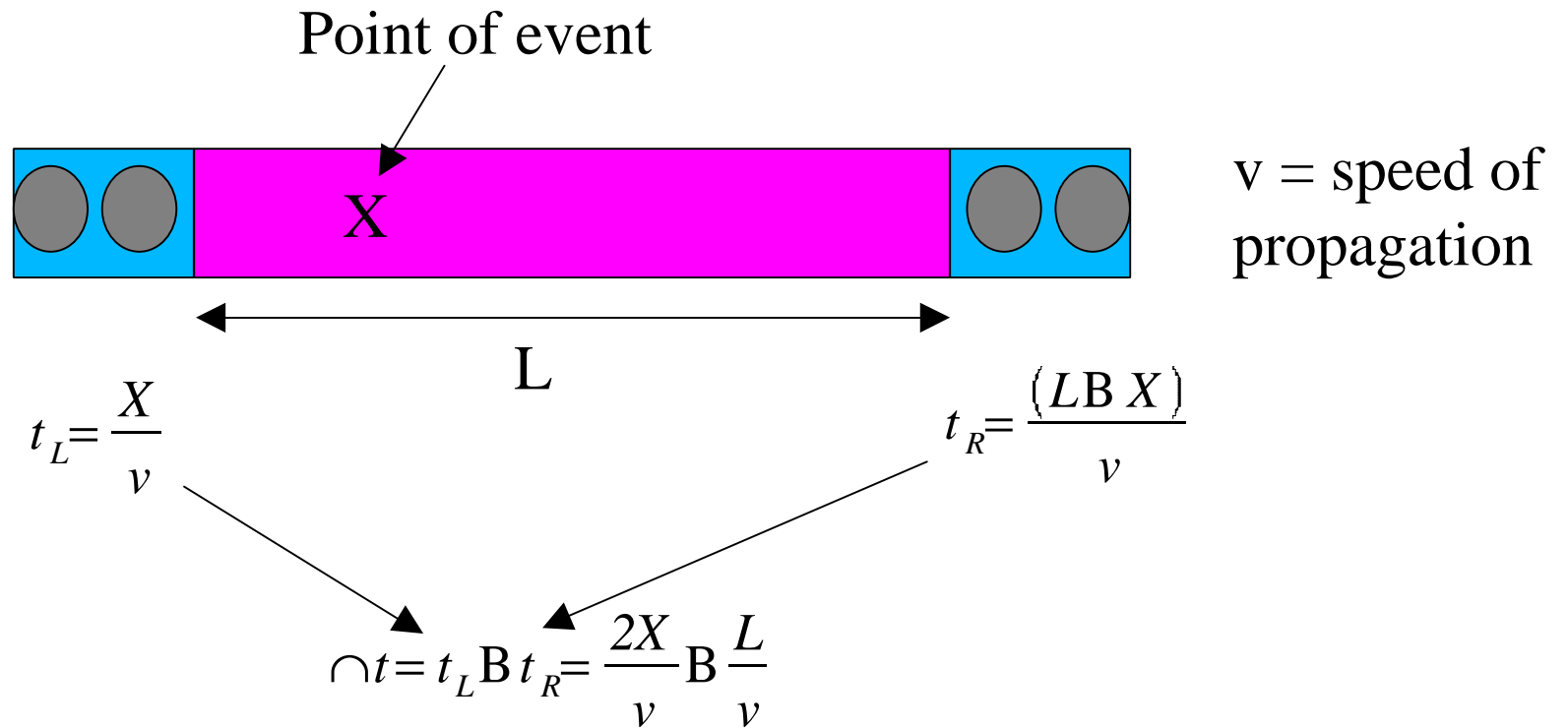
OuterTdcDiff Copy

2. Ratio of areas between left and right ADC values.  
(Not useful due to large uncertainty)



OuterAdcRatio Copy

# Using $\Delta t$

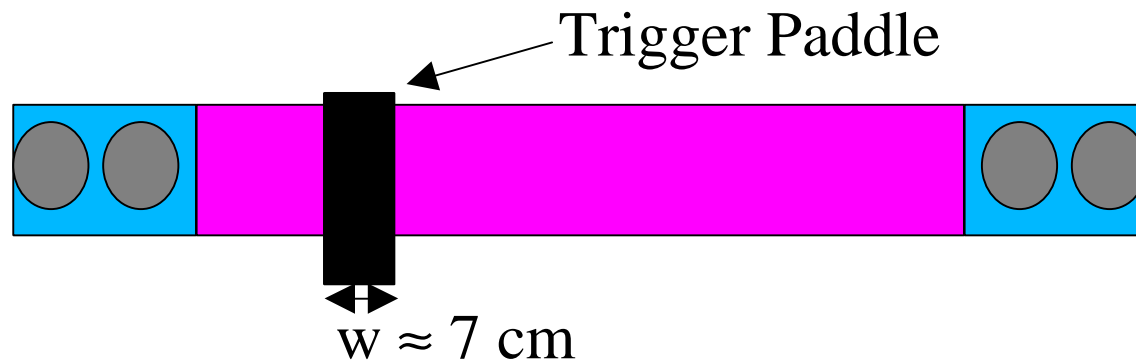


Since  $L$  and  $v$  are constant, the uncertainty in  $\Delta t$  becomes:

$$\sigma_{(\Delta t)} = \frac{2}{v} \sigma_X$$



# Using $\Delta t$

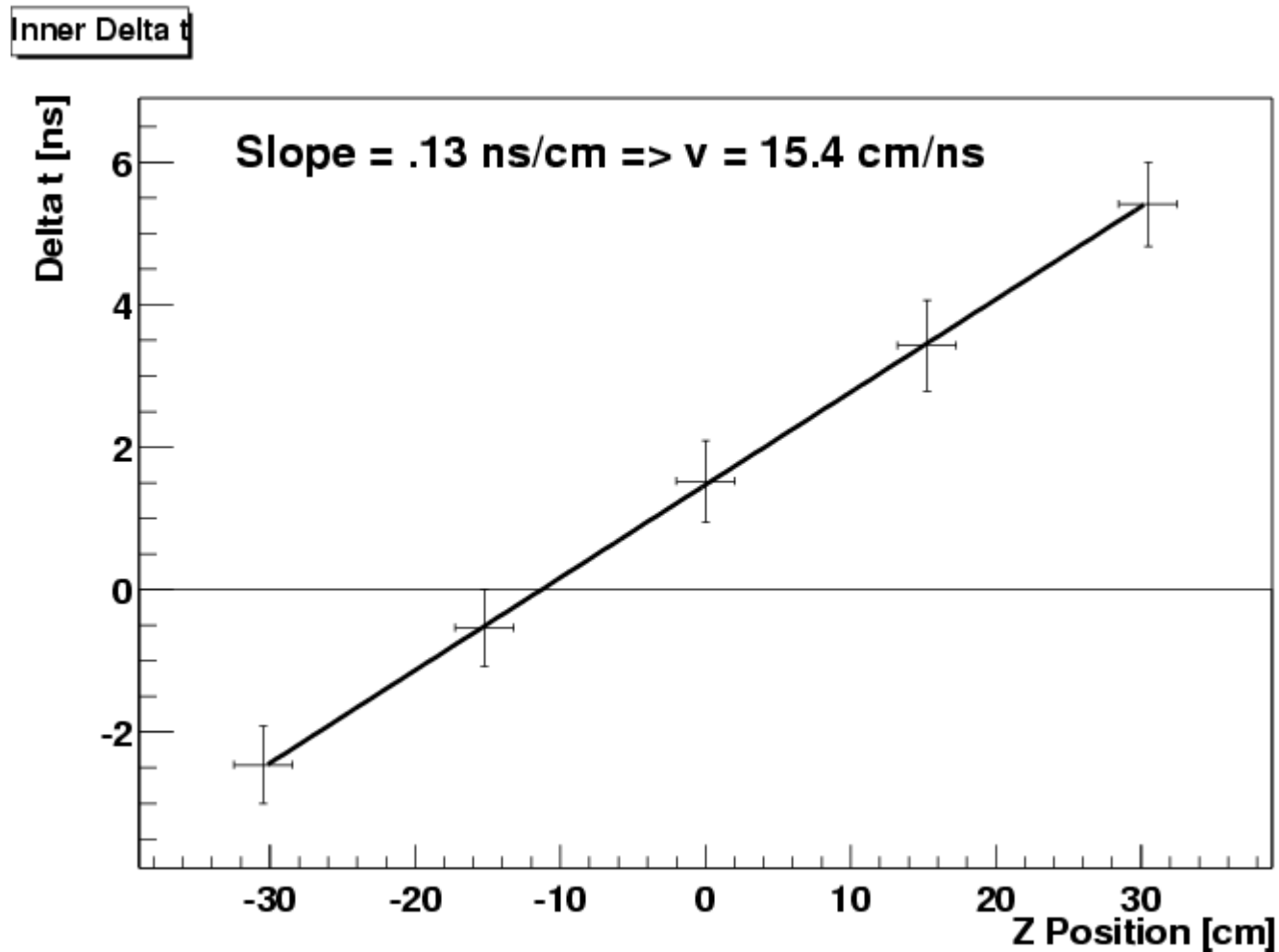


The uncertainty in position of paddle is given by  $\sigma_{paddle} = \frac{1}{\sqrt{12}} w \approx 2.02 \text{ cm}$  assuming a square paddle.

The the measured uncertainty is approximately give by  $\sigma_x = \sqrt{(\sigma_{paddle}^2 + \sigma_{Tr}^2)}$

Therefore  $\sigma_{True} = \sqrt{(\sigma_x^2 + \sigma_{paddle}^2)} = \sqrt{\left(\frac{v^2}{4} \sigma_{\Delta t}^2 + \sigma_{paddle}^2\right)}$

# Determine $v$ from $\Delta t$ vs. Position



$\sigma_{\text{True}}$  for each position

With 7 cm Paddle

Pos ition	Inner	Outer
- 30.5 cm	3.67 cm	3.17 cm
- 15.25 cm	3.67 cm	3.21 cm
0 cm	3.54 cm	2.98 cm
15.25 cm	4.36 cm	3.59 cm
30.5 cm	4.04 cm	3.48 cm
average	3.86 cm	3.29 cm

With 1cm Overlap @ center

3.5 cm	3.5 cm
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# langfristiges nachher pulsieren

